MCDB/BCHM 4100/6440 – Microscopy Labs

Lab 2:

Illumination Quality, Detector Sensitivity, and Refractive Index Mismatch

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Tips for analysis



- Using this image, determine what the detector response is
- In other words, you should determine the relationship between intensity and the grayscale value of the image

The structuring element



A **structuring element** is a small logical array containing a **shape** used to probe the image



The **center (or origin)** of the structuring element is the pixel that is being probed

The **shape** is defined by true pixels

Use strel to generate structuring elements

Examples:

- SE = strel('square', width)
- SE = strel('disk', radius)
- SE = strel('line', length, angle)

Look at documentation for all options

Note: You can also use a logical matrix as a structuring element

The output of strel is a structured array struct

 The mask that defines the structuring element is in the field Neighborhood

 You can (and should) plot this to see what the structuring element looks like

>> imshow(SE.Neighborhood)

Compound morphological operations

 Opening and closing are <u>compound</u> morphological operations because they use the erosion and dilation operations

Opening is erosion followed by dilation

Closing is dilation followed by erosion

M = imopen(BW, SE)

BW = Input mask SE = Structuring element

Practice

- Read in the image 'blobs.png'
- Open the image with a line structuring element, length of 5, angle 0 (horizontal line)

M = imopen(BW, SE)
SE = strel('line', length, angle)

Why use opening?

 Morphological opening removes foreground objects smaller than the structuring element





Lecture 20: Bradley's method/Morphological operations

Why use opening?

 Morphological opening is useful for smoothing the edges of segmented objects



Lecture 20: Bradley's method/Morphological operations

Why use opening?

 Morphological opening is useful for removing objects with a specific shape from an image



operations

MCDB/BCHM 4312 & 5312 (Fall 2021)

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M = imclose(BW, SE)

BW = Input mask SE = Structuring element

Task

- Read in the image 'blobs.png'
- Close the image with a square structuring element, width of 10

M = imclose(BW, SE) SE = strel('square', width)

Why use closing?

 Morphological closing fills in holes smaller than the structuring element, while preserving the shape and size of other objects



Lecture 20: Bradley's method/Morphological operations

Tips for analysis

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- This pattern should be of uniformly fluorescent objects
- Using this image, determine the spatial distribution of the excitation light along camera
- One suggestion is to fit the pattern to a 2D surface

Steps for 2-D curve fitting

- 1. Locate and measure the average intensity for each dot
- 2. Define the 2D model using fittype
- 3. Fit the curve using fit

Note: You should be able to carry out step 1 already

2D Gaussian equation

$$z = A \exp\left(-\frac{(x-B)^2 + (y-C)^2}{2D^2}\right)$$

- A = amplitude
- B = x-offset
- C = y-offset
- D = width (related to the FWHM)

Define a custom fitting model using fittype

model = fittype(expression, name, values)

- expression is a string of the model equation
- You might need a couple of additional arguments:
 - 'dependent' string that specifies the dependent (output) variable name
 - 'independent' string that specifies the independent (input) variables

2D Gaussian equation

$$z = A \exp\left(-\frac{(x-B)^2 + (y-C)^2}{2D^2}\right)$$

- In this equation:
 - z is the dependent variable
 - x and y are the independent variables

Work with a partner to write the command that declares this model

Using fit to fit to a surface

 x and y need to be column vectors specifying the x- and y- coordinates of the measured data (i.e., intensity of the spots)

Adding an initial guess

curve = fit([X, Y], Z, 'StartPoint', p0);

p0 is a matrix with an initial guess for each coefficient. For our model, p0 = [A B C D].

Making a guess that is close to the actual values will improve accuracy of the fit.

You only need to do this if the fitting is poor.